



Matrix Decomposition Theoretical Framework for Traffic Flow Optimization in Uganda: Asymptotic Analysis and Identifiability Checks

Frank Kizza^{1,2}, Elizabeth Agaba^{3,4}, Samuel Okyere^{3,5}, Nalwadi Nakalebu^{6,7}

¹ Department of Research, Makerere University, Kampala

² Mbarara University of Science and Technology

³ Kampala International University (KIU)

⁴ Department of Research, Kyambogo University, Kampala

⁵ Makerere University, Kampala

⁶ Department of Advanced Studies, Kampala International University (KIU)

⁷ Kyambogo University, Kampala

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Correspondence: fkizza@aol.com

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Author notes

Frank Kizza is affiliated with Department of Research, Makerere University, Kampala and focuses on Mathematics research in Africa.

Elizabeth Agaba is affiliated with Kampala International University (KIU) and focuses on Mathematics research in Africa.

Samuel Okyere is affiliated with Makerere University, Kampala and focuses on Mathematics research in Africa.

Nalwadi Nakalebu is affiliated with Department of Advanced Studies, Kampala International University (KIU) and focuses on Mathematics research in Africa.

Abstract

Theoretical analysis of matrix decomposition methods for optimising traffic flow in Uganda has not been extensively explored. We employ a theoretical approach with assumptions based on linear algebra principles. Theoretical derivations are conducted using eigenvalue decomposition as a core technique. The theoretical framework established provides a foundation for further empirical studies to validate these findings and inform policy decisions regarding traffic flow optimization. Future research should include simulation models to test the effectiveness of proposed optimizations in real-world scenarios, with a focus on identifying key variables that influence traffic patterns. Model selection is formalised as $\hat{\theta} = \underset{\theta \in \Theta}{\operatorname{argmin}} \zeta L(\theta) + \lambda \zeta \omega(\theta) \zeta$ with consistency under mild identifiability assumptions.

Keywords: Sub-Saharan, Matrix Decomposition, Linear Algebra, Identifiability, Stability Analysis, Optimization Techniques, Network Dynamics

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